iQuant: A fast yet accurate GUI tool for transcript quantification

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Abstract—Transcript quantification using RNA-seq is central to contemporary and future transcriptomics research. The existing tools are useful but have much room for improvement. We present a new statistical model, a fast yet accurate transcript quantification algorithm. Our tool takes RNA-seq reads in fasta or fastq format as input and output transcript abundance through a few mouse clicks. Our method compares favorably with the existing GUI tools in terms of both time complexity and accuracy. Availability: Both simulation data used for method comparisons and the GUI tool are freely available at http://asammate.sourceforge.net/.

Keywords—Transcriptome quantification; alternative splicing; RNA-seq; GUI; constrained least square;

I. INTRODUCTION

Transcript quantification using RNA-seq is central to a wide range of transcriptomics research. The problem itself is challenging due to the fact that the observed exonic expression signal can be aggregated from a set of sibling transcripts encoded by the same gene with diverse alternative splicing mechanisms. In essence, the problem finds its root in latent variable models where we infer the latent variables (transcript expression) from the observed variables (exonic expression).

Several computational approaches have been developed to utilize high throughput gene expression profiling data collected from microarray and RNA-seq experiments. In earlier studies, an iterative Expectation-Maximization (EM) type of algorithm using Expression Sequence Tags (ESTs) ( [1]) and a Nonnegative Matrix Decomposition (NMF) based algorithm ( [2]) using exon and exon-exon junction microarrays were developed to solve this problem. Both approaches belong to latent variable model family and they represent some of the more pioneering efforts to tackle the transcript quantification problem. However, both iterative approaches suffer from non-unique solutions that are sensitive to initialization. Moreover, the performance was also limited by data quantity (ESTs) and quality (microarrays).

RNA-seq technology gives base-level exonic expression signal with unprecedented dynamic range and sensitivity. Both data quantity and quality for solving this problem are substantially improved. Despite a number of approaches to transcript quantification ( [3]–[8]), few attempt has been made towards solving the problem using base-level signal. Bohnert and Ratsch ( [9]) developed a quadratic program-

II. METHODS

We propose a new model to explain how the observed base-level RNA-seq expression signal (observed read coverage) is aggregated from a mixture of sibling transcripts. We first introduce the model for a single sample, then we extend the model to process multiple samples.

Given a set of short reads of a sample, we first align the reads to the reference genome, then we estimate the abundance of annotated transcripts per gene locus. We denote the number of exonic positions by $m$. The number of annotated transcripts is denoted by $n$. The vector of observed read coverage is denoted by $e = [e_1, e_2, ..., e_m]^T$ where $e_i$ is the observed read coverage at the $i^{th}$ exonic position. The gene-level expression abundance is denoted by $r$. The gene expression abundance can be estimated either using read counts (e.g. RPKM) or average base-level exonic signal over the shared exonic regions among all the sibling transcripts. The vector of transcript proportions is denoted by $p = [p_1, p_2, ..., p_n]^T$ where $p_j$ is the proportion of $j^{th}$ transcript, $\sum_{j=1}^n p_j = 1$ and $0 \leq p_j \leq 1$ for all $j$. The splicing matrix can be denoted by $S \in \{0, 1\}^{m \times n}$. $S$ is a matrix of 0’s and 1’s, each row $i$ represents a single base and each column $j$ represents a sibling transcript. $S_{ij}$=1 indicates that the $j^{th}$ sibling transcript contributes to the exonic signal observed at $i^{th}$ base, $S_{ij}$=0 otherwise.

An example is illustrated by Figure 1. In this example, the $1^{st}$ transcript skips no exon, and thus the all the elements of the $1^{st}$ column of $S$ take the value of 1 ($S_{1j} = 1$ for all $j \in [1..m]$). In the $2^{nd}$ column of $S$, the elements corresponding to the $2^{nd}$ exon take the value of 0 because the $2^{nd}$ transcript skips the $2^{nd}$ exon. In the $3^{rd}$ column of
S, the elements corresponding to the 3rd exon take the value of 0 because the 3rd transcript skips the 3rd exon.

For each gene locus, the relationship between the observed read coverage and the base-level coverage can be estimated by solving the following constrained linear least square problem:

$$
\min_{\mathbf{p}} \| \mathbf{e} - (\mathbf{rS}) \times \mathbf{p} \|^2 \\
\mathbf{1}^T \times \mathbf{p} = 1 \\
0 \leq \mathbf{p} \leq 1 
$$

(2)

where \( \mathbf{1}^T = [1, 1, 1, ... , 1]_n \)

In case of multiple samples, the same logic can be applied to estimate the transcript proportions. For each gene locus, each sample (replication) has different expression abundances but share the same transcript proportion vector. Let \( k \) be the number of the samples. After proper normalization, we have \( k \) vectors of observed read coverage: \( \mathbf{e}_1 = [e_{11}, e_{12}, ..., e_{1m}]^T, \mathbf{e}_2 = [e_{21}, e_{22}, ..., e_{2m}]^T, ..., \mathbf{e}_k = [e_{k1}, e_{k2}, ..., e_{km}]^T \). The gene expression abundances are denoted by \( r_1, r_1, ..., r_k \). We have \( k \) equations:

$$
\begin{align*}
\mathbf{e}_1 &= (r_1 \mathbf{S}) \times \mathbf{p} + \mathbf{e}_1 \\
\mathbf{e}_2 &= (r_2 \mathbf{S}) \times \mathbf{p} + \mathbf{e}_2 \\
\mathbf{e}_3 &= (r_3 \mathbf{S}) \times \mathbf{p} + \mathbf{e}_3 \\
&... \\
\mathbf{e}_k &= (r_k \mathbf{S}) \times \mathbf{p} + \mathbf{e}_k
\end{align*}
$$

or

$$
\begin{bmatrix}
\mathbf{e}_1 \\
\mathbf{e}_2 \\
\mathbf{e}_3 \\
... \\
\mathbf{e}_k
\end{bmatrix} = 
\begin{bmatrix}
(r_1 \mathbf{S}) \times \mathbf{p} \\
(r_2 \mathbf{S}) \times \mathbf{p} \\
(r_3 \mathbf{S}) \times \mathbf{p} \\
... \\
(r_k \mathbf{S}) \times \mathbf{p}
\end{bmatrix} + \mathbf{e} 
$$

where \( \mathbf{e} \) is the error we want to minimize. The equation above can be rewritten as:

$$
\begin{bmatrix}
\mathbf{e}_1 \\
\mathbf{e}_2 \\
\mathbf{e}_3 \\
... \\
\mathbf{e}_k
\end{bmatrix} 
= 
\begin{bmatrix}
(r_1 \mathbf{S}) \times \mathbf{p} \\
(r_2 \mathbf{S}) \times \mathbf{p} \\
(r_3 \mathbf{S}) \times \mathbf{p} \\
... \\
(r_k \mathbf{S}) \times \mathbf{p}
\end{bmatrix} 
+ \mathbf{e} 
$$

(3)

If we denote \( \mathbf{y} = [\mathbf{e}_1^T, \mathbf{e}_2^T, \mathbf{e}_3^T, ..., \mathbf{e}_k^T]^T \) and \( \mathbf{W} = [(r_1 \mathbf{S})^T, (r_2 \mathbf{S})^T, (r_3 \mathbf{S})^T, ..., (r_k \mathbf{S})^T]^T \), the transcript proportion can be estimated by solving the following constrained linear least square:

$$
\begin{bmatrix}
\min_{\mathbf{p}} \| \mathbf{y} - \mathbf{W} \times \mathbf{p} \|^2 \\
\mathbf{1}^T \times \mathbf{p} = 1 \\
0 \leq \mathbf{p} \leq 1
\end{bmatrix}
$$

(4)

where \( \mathbf{1}^T = [1, 1, 1, ... , 1]_n \)

In fact, the optimisation problem described in (4) is the generalized form of (2), since it formulates the optimisation problem for one or multiple samples. This is a classic medium-scale convex quadratic programming, which can be solved easily by the active set method ([10]).

III. RESULTS

Using real-world simulation studies, we demonstrate the accuracy and speed of iQuant by comparing with RAEM ([8], implemented in aSAMMate suite) and two widely used GUI tools, Cufflinks ([6]) and rQuant ([9]). We used FluxSimulator to simulate the whole transcriptome sequencing experiments with the Illumina Genome Analyzer.
15 million and 30 million single end reads with length of 50
and 100 were simulated using Ensembl database, including
around 100,000 annotated human transcript structures. To
account for the read errors in real-world data, we estimated
an error model from realworld RNA-seq data sets and
provided as an input for FluxSimulator to simulate reads
with errors (11).

A. Time complexity

Table I shows the time complexity on the same hardware
platform (MacPro, two Intel Xeon DualCore 2.66GHz, 4GB
RAM). It is clear from Table I that iQuant is much faster
than its competitors.

<table>
<thead>
<tr>
<th></th>
<th>RAEM</th>
<th>iQuant</th>
<th>Cufflinks</th>
<th>rQuant.web</th>
</tr>
</thead>
<tbody>
<tr>
<td>15 millions</td>
<td>3377s</td>
<td>820s</td>
<td>2060s</td>
<td>&gt; 1d</td>
</tr>
<tr>
<td>30 millions</td>
<td>6610s</td>
<td>1036s</td>
<td>2795s</td>
<td>&gt; 1s</td>
</tr>
</tbody>
</table>

B. Accuracy of isoform quantification

We proceed to compare the accuracy of isoform quanti-
fication for the four GUI tools. An ultimate goal for
transcriptome quantification is to estimate sibling isoform
abundance proportions, summing up to one for each gene.
From the ground truth where we simulated RNA-seq reads
using FluxSimulator, we know the true copy numbers of all
the isoforms. Thus the more accurate isoform quantification
method will give the vector of isoform proportion least di-
vergent from the ground truth. We used Jensen-Shannon (JS)
divergence to capture both linear and nonlinear relationships.
Values closer to zero indicate a better performance.

From Table I and Figure 2, iQuant demonstrates an
impressive speed without compromise of accuracy.

IV. CONCLUSION

In this paper, we have presented a way to accommodate
multiple samples and thus give rise to a better estimate.
Beside accuracy, our GUI tool also demonstrates an impres-
sive speed. It is particularly important prospectively with the
faster pace of increase in both sequencing depth and sample
size in the near future.

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